Cellular/Molecular

# ${ m Ca}^{2+}$ /cAMP-Sensitive Covariation of $I_{ m A}$ and $I_{ m H}$ Voltage Dependences Tunes Rebound Firing in Dopaminergic Neurons

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The level of expression of ion channels has been demonstrated to vary over a threefold to fourfold range from neuron to neuron, although the expression of distinct channels may be strongly correlated in the same neurons. We demonstrate that variability and covariation also apply to the biophysical properties of ion channels. We show that, in rat substantia nigra pars compacta dopaminergic neurons, the voltage dependences of the A-type ( $I_A$ ) and H-type ( $I_A$ ) currents exhibit a high degree of cell-to-cell variability, although they are strongly correlated in these cells. Our data also demonstrate that this cell-to-cell covariability of voltage dependences is sensitive to cytosolic cAMP and calcium levels. Finally, using dynamic clamp, we demonstrate that covarying  $I_A$  and  $I_H$  voltage dependences increases the dynamic range of rebound firing while covarying their amplitudes has a homeostatic effect on rebound firing. We propose that the covariation of voltage dependences of ion channels represents a flexible and energy-efficient way of tuning firing in neurons.

#### Introduction

The ability of any specific ion channel to participate in a given firing feature (e.g., spike duration, spike amplitude, burst duration, rebound properties) has been studied and described in many different neuronal types in numerous invertebrate and vertebrate species (Hille, 2001). More recently, experimental and theoretical studies have suggested that whenever multiple currents contribute to the same firing feature, numerous solutions are available to cells to achieve the same output (Goldman et al., 2001; MacLean et al., 2003; Prinz et al., 2004; Burdakov, 2005; Swensen and Bean, 2005; Marder and Goaillard, 2006; Schulz et al., 2006; Puopolo et al., 2007; Taylor et al., 2009; Hudson and Prinz, 2010; Marder and Taylor, 2011). In mouse cerebellar Purkinje cells, knocking down the Na<sub>v</sub>1.6 sodium channel does not significantly disrupt bursting behavior because the effect of knocking down this channel is partially compensated by an increase in amplitude of a low-threshold calcium current (Swensen and Bean, 2005). In the lobster stomatogastric nervous system, microinjecting pacemaker neurons with mRNA encoding for the *Shal* channel [carrying the rapidly inactivating A-type ( $I_A$ ) potassium current] does not modify spontaneous bursting because the increase in  $I_A$  is compensated by a correlated increase in the amplitude of the hyperpolarization-activated H-type ( $I_H$ ) cationic current (MacLean et al., 2003).

These studies using artificial manipulations of ion channel expression have led to the hypothesis that coregulation of properties of functionally overlapping ion channels in unperturbed neurons may constitute a powerful mechanism for precisely defining specific firing patterns and maintaining them over the lifetime of a neuron (Marder and Goaillard, 2006). Consistent with this hypothesis, recent studies performed in the invertebrate nervous system have demonstrated that numerous ion channels/ currents display correlated levels of expression/amplitude in unperturbed populations of neurons (MacLean et al., 2005; Schulz et al., 2006, 2007; Khorkova and Golowasch, 2007; Goaillard et al., 2009; Tobin et al., 2009; Temporal et al., 2011). Moreover, some of these correlations in ion channel properties were demonstrated to be cell-type specific and strongly predict the functional output of the neuron (Schulz et al., 2007; Goaillard et al., 2009). Yet little is known about whether coregulation of ion channels occurs in unperturbed mammalian neurons, and whether they involve biophysical properties and/or the level of expression/amplitude of channels/currents.

We studied rebound firing in substantia nigra pars compacta (SNc) dopaminergic neurons and analyzed the respective involvement of  $I_{\rm H}$  and  $I_{\rm A}$  in this firing feature. First, we demonstrate that these two currents have opposite and complementary influences on rebound delay. We show that the voltage dependences of  $I_{\rm H}$  and  $I_{\rm A}$  are highly variable from cell to cell but are strongly positively correlated in the same cells. We then demonstrate that intracellular cAMP and calcium levels strongly alter the covaria-

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tion of  $I_{\rm A}$  and  $I_{\rm H}$  voltage dependences. Strikingly, increasing cAMP in the presence of a fast calcium chelator induces a coordinated shift in the voltage dependences and reduces their variability. Finally, we show that covarying the maximum conductances of these currents stabilizes rebound firing, while covarying the voltage dependences of the currents according to their biological distribution increases the dynamic range of rebound firing. We suggest that covariation of voltage dependences provides a flexible and efficient way of tuning rebound firing.

#### **Materials and Methods**

Midbrain slice preparation. Acute slices were prepared from P16-P22 Wistar rats of either sex. All experiments were performed according to the European and institutional guidelines for the care and use of laboratory animals (Council Directive 86/609/EEC and French National Research Council). Rats were anesthetized with halothane (Nicholas Piramal India) and decapitated. The brain was immersed briefly in oxygenated ice-cold low-calcium artificial CSF (aCSF) containing the following (in mm): 125 NaCl, 25 NaHCO<sub>3</sub>, 2.5 KCl, 1.25 NaH<sub>2</sub>PO<sub>4</sub>, 0.5 CaCl<sub>2</sub>, 4 MgCl<sub>2</sub>, and 25 glucose, pH 7.4, oxygenated with 95% O<sub>2</sub>/5% CO<sub>2</sub> gas. The cortices were removed and then coronal midbrain slices (250 µm) were cut in ice-cold oxygenated low-calcium aCSF on a vibratome (Leica VT 1200S). Following 30-45 min incubation in oxygenated low-calcium aCSF at 32°C, the acute slices were then incubated for a minimum of 30 min in oxygenated aCSF (containing in mm: 125 NaCl, 25 NaHCO<sub>3</sub>, 2.5 KCl, 1.25 NaH<sub>2</sub>PO<sub>4</sub>, 2 CaCl<sub>2</sub>, 2 MgCl<sub>2</sub>, and 25 glucose, pH 7.4, oxygenated with 95% O<sub>2</sub>/5% CO<sub>2</sub> gas) at room temperature before electrophysiological recordings.

Drugs. We used kynurenate (2 mm, Sigma-Aldrich), picrotoxin (100 μM, Sigma-Aldrich), tetrodotoxin (TTX; 1 μM, Alomone Labs), ZD7288 (3 and 30 μM, Tocris Bioscience), Androctonus mauretanicus mauretanicus toxin 3 (AmmTX3, 3 nM $-2 \mu$ M), 1,2-bis(2-aminophenoxy) ethane-N, N, N', N'-tetra-acetic acid (BAPTA; 5 or 10 mm, Tocris Bioscience), 2',5'-dideoxy adenosine 3'-triphosphate tetrasodium (ddA; 20 μM, Sigma-Aldrich), and 8-Bromo-cAMP sodium salt (8-Br-cAMP; 25 μM, Tocris Bioscience). Kynurenate, picrotoxin, tetrodotoxin, ZD7288, and AmmTX3 were used to block excitatory synaptic activity, inhibitory synaptic activity (current-clamp recordings), the TTX-sensitive sodium currents (voltage-clamp recordings), and the  $I_{\rm H}$  and  $I_{\rm A}$  currents, respectively, and were bath applied via continuous perfusion in aCSF, except for concentrations of AmmTX3 ≥30 nm (which were applied directly into the bath with the bath perfusion briefly arrested until the toxin took effect). BAPTA, ddA, and 8-Bromo-cAMP were present in the patch pipette solution.

Electrophysiology recordings and analysis. All recordings (342 cells in current-clamp, voltage-clamp, or dynamic clamp) were performed on midbrain slices continuously superfused with oxygenated aCSF at 30-32°C. Picrotoxin and kynurenate were systematically added to the aCSF for all recordings to prevent contamination of the intrinsically generated activity by glutamatergic and GABAergic spontaneous synaptic activity. Patch pipettes (1.8–2.5 M $\Omega$  for voltage-clamp recordings) were pulled from borosilicate glass (GC150TF-10 for voltage-clamp, Harvard Apparatus) on a DMZ-Universal Puller (Zeitz Instruments) and filled with a patch solution containing the following (in mm): 20 KCl, 10 HEPES, 10 EGTA, 2 MgCl2, 2 Na-ATP, and 120 K-gluconate, pH 7.4, 290-300 mOsm. Whole-cell recordings were made from SNc dopaminergic neurons visualized using infrared differential interference contrast videomicroscopy (QImaging Retiga camera; Olympus BX51WI microscope), and were identified based on their location, large size (soma >30  $\mu$ m; see Fig. 1 A), and electrophysiological profile (regular slow pacemaking activity, large spike half-width, large sag in response to hyperpolarizing current steps; see Fig. 1C,D). Tyrosine-hydroxylase immunolabeling in 73 neurobiotin (0.05% in patch solution; Vector Labs) tracer-filled cells confirmed this electrophysiological identification (see Fig. 1B). Briefly, slices were fixed with 4% paraformaldehyde overnight at 4°C and were immunolabeled (protocol modified from Wolfart et al., 2001) with sheep antityrosine hydroxylase (Millipore; 1:9000), followed by donkey antisheep Alexa Fluor 488 (Invitrogen; 1:1000; 2 µg/ml) and Streptavadin Alexa Fluor 594 (Invitrogen; 1:12,000; 166.7 ng/ml).

For voltage-clamp experiments, only whole-cell recordings with an uncompensated series resistance  $<7 \text{ M}\Omega$  (compensated 85–90%) were included in the analysis. For current-clamp pharmacology experiments, higher series resistances were tolerated as long as the bridge compensation was properly adjusted to 100%. Liquid junction potential (+13.2)mV) and capacitive currents were compensated on-line. To ensure that variability in voltage measurements was not due to the slow appearance of offset potentials during the recording, offset potentials were measured after removing the pipette from the neuron. Offset values were negligible (≤1 mV) and therefore not corrected for. Recordings were acquired at 10 kHz and were filtered with a low-pass filter (Bessel characteristic 2.9 kHz cutoff frequency). For current-clamp recordings, 1 s hyperpolarizing current steps were injected to elicit a hyperpolarization-induced sag (due to  $I_{\rm H}$  activation). Short synaptic-like hyperpolarizing currents were also injected to mimic a single GABAergic input (diexponential inputs; 4.6 ms rising time constant, 47.4 ms decaying time constant) (Tanaka et al., 2009). For proper comparison of rebound properties across cells and pharmacological conditions, long hyperpolarizing current steps were adjusted to obtain an average voltage value of either  $-84.9 \pm 1.8$  mV or  $-71.9 \pm 1.3$  mV at the end of the hyperpolarizing pulse in all cells, and short synaptic-like hyperpolarizing inputs were adjusted to obtain an average voltage value of  $-84.9 \pm 2.1$  mV or  $-71.9 \pm 1.5$  mV at the peak of the hyperpolarization.  $V_{\rm kink}$  was defined as the voltage point where the voltage first derivative reaches a plateau (corresponding to the start of the

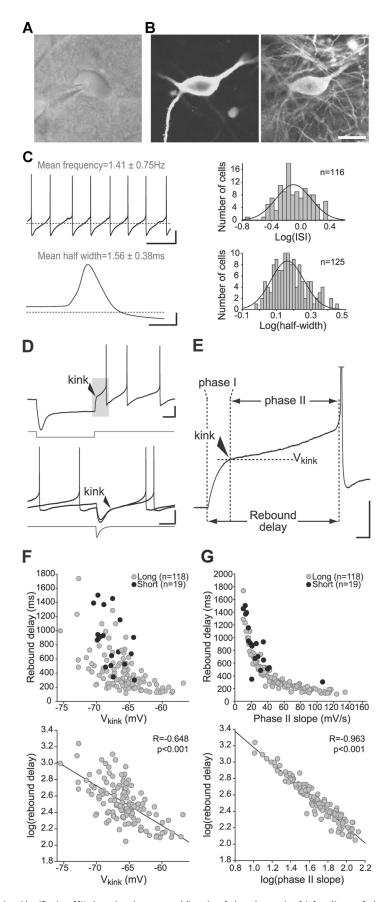
For voltage-clamp recordings of  $I_{\rm A}$  and  $I_{\rm H}$ , tetrodotoxin was also added to the aCSF. The total potassium current was elicited by 500 ms voltage steps from a holding voltage of -100 mV to test potential between -80 and -5 mV (500 ms, 5 mV increments). The delayed rectifier potassium current was elicited by a protocol consisting of a 500 ms prestep at -50/-40 mV (to fully inactivate  $I_{\rm A}$ ) followed by voltage steps between -50/-40 and 10 mV (500 ms, 5 mV increments). The  $I_{\rm A}$  current was then isolated by subtraction (total potassium current - delayed rectifier current). The peak of the isolate  $I_{\rm A}$  measured during the incremental pulses between -80 mV and -5 mV was then divided by potassium driving force with a reversal potential of -100 mV. Peak conductance was then plotted against the voltage of the corresponding voltage step and was fitted with a Boltzmann function as follows:

$$I(V) = I_0 + \frac{I_{\text{max}}}{1 + \exp{\frac{-(V - V_{50})}{h}}}$$

where  $I_0$  is basal current,  $I_{\rm max}$  is the maximal current, V is voltage,  $V_{50}$  is half-activation voltage, and b scales the voltage sensitivity of activation/inactivation.

 $I_{\rm A}$   $V_{50}$  and  $I_{\rm A}$  b were extracted from this analysis.  $I_{\rm A}$  time constant of activation and inactivation were obtained using a diexponential fit (exponential rise to maximum and exponential decay) of the current. To assess  $I_{\rm A}$  inactivation properties, 500 ms voltage steps were applied from -40 to -120 mV (in increments of -5 mV) followed by a 500 ms voltage step at -40 mV. Then, the peak current measured during the pulse to -40 mV was plotted against the voltage of the conditioning prepulses to obtain the inactivation curve of  $I_{\rm A}$ . Data were fitted with a Boltzmann function (four-parameter sigmoidal function, see equation), and  $V_{50}$  and b were extracted from this analysis.

A two-step voltage-clamp protocol was used to determine the voltage-dependent activation of  $I_{\rm H}$ . A prepulse to various holding potentials from -60 to -130 mV (increments of -5 mV associated with progressive decrements in step duration) was used to activate  $I_{\rm H}$  to different extents. A subsequent pulse to -130 or -120 mV was used to measure the degree of activation of  $I_{\rm H}$  independent of changes in driving force. Finally, the amplitude of  $I_{\rm H}$  measured during the pulse to -130 or -120 mV was plotted against the voltage of the prepulse, and the data were fitted using the Boltzmann function equation.  $V_{50}$ , b, and  $I_{\rm H}$   $I_{\rm max}$  were extracted from this analysis.  $I_{\rm H}$  time constant of activation was obtained using single exponential fits of the current at the different voltage steps.



**Figure 1.** Identification of SNc dopaminergic neurons and dissection of rebound properties. **A**, Infrared image of a dopaminergic neuron and the patch pipette. **B**, Left, Fluorescent streptavidin labeling of a neuron filled with neurobiotin. Right, Tyrosine hydroxylase immunolabeling of the same neuron. **C**, Characteristic electrophysiological properties of SNc dopaminergic neurons.

Dynamic-clamp recordings and analysis. To model  $I_{\rm H}$  and  $I_{\rm A}$ , all the parameters for the conductance definitions were extracted from our voltage-clamp recordings (see Tables 1, 2; Fig. 7). The voltage dependence of the time constant of  $I_{\rm H}$  activation ( $I_{\rm H}$   $\tau_{\rm m}$ ) was fitted with a four-parameter peak Gaussian equation (see Fig. 7B; n = 27, average fit) and the values of the holding potential at the peak of the Gaussian fit were extracted (see Tables 1, 2,  $V_{\pi}$ ) and plotted against the  $I_{\rm H}$  activation  $V_{50}$  values. As there was a significant positive correlation between  $V_{\tau}$  and  $I_{\rm H}$  activation  $V_{50}$  (linear regression, R = 0.84, p < 0.001, n = 27), when  $I_H$ activation  $V_{50}$  was shifted in the modeled  $I_{\rm H}$ ,  $V_{\tau}$ was shifted accordingly. The voltage dependencies of  $I_A$  time constant of activation  $(I_A \tau_m)$ and inactivation ( $I_A$   $\tau_h$ ) were fitted with a Boltzmann function (four-parameter sigmoidal function, see equation; n = 19; see Fig. 7C,D, average fit). However, there was no correlation between the  $I_{\rm A}~\tau_{\rm m}$  or  $I_{\rm A}~\tau_{\rm h}~V_{\rm 50}$  values and the  $I_A$  activation and inactivation  $V_{50}$  values, respectively (R = 0.07, p = 0.79, n =19; R = 0.07, p = 0.81, n = 19, respectively). Thus, for the model of  $I_{\rm A}$ ,  $I_{\rm A}$   $\tau_{\rm m}$  and  $I_{\rm A}$   $\tau_{\rm h}$ were not shifted in conjunction with the activation and inactivation curves of  $I_A$ . For the data presented in Figure 9C, values of injected maximum conductances ( $gm_A$ ,  $gm_H$ )

Top row, Left, Current-clamp recording showing the typical pacemaker tonic firing of a dopaminergic neuron. Right, Histogram of the log-normal distribution of the interspike interval (inverse of the instantaneous frequency). Bottom row, Left, Current-clamp recording showing the typical slow action potential waveform of a dopaminergic neuron. Right, Histogram of the log-normal distribution of action potential half-width. Dashed lines indicate -60 mV. **D**, Rebound waveform in SNc dopaminergic neurons. Top, Current-clamp recording of a typical response of a neuron to a 1 s hyperpolarizing current step leading to -120 mV, showing the clear kink in the repolarization. The gray trace represents the current step from 0 to - 125 pA. Bottom, The rebound elicited by short diexponential synaptic-like pulses also displayed a biphasic repolarization. The gray trace represents the -287 pA current injection. **E**, Expanded version corresponding to the gray box in **D**. Two phases of repolarization (phase I, phase II) are distinguished based on the rate of repolarization. The transition point was named "kink" and the corresponding voltage  $V_{kink}$ .  $F_{\ell}$  Scatter plots summarizing the correlation between rebound delay and  $V_{\rm kink}$ . Top, Scatter plot showing the relationship between rebound delay elicited by 1 s steps (gray circles) or short synaptic-like (black circles) hyperpolarizing stimuli. Bottom, Scatter plot illustrating the significant correlation between log (rebound delay) and  $V_{kink}$  for long hyperpolarizations (R, p, and *n* values are on the plot). **G**, Scatter plots summarizing the correlation between rebound delay and phase II slope. Top, Scatter plot showing the relationship between rebound delay and phase II slope elicited by 1 s (gray circles) or short synaptic-like (black circles) hyperpolarizing pulses. Bottom, Scatter plot illustrating the significant correlation between log (rebound delay) and log (phase II slope) for long hyperpolarizations (R, p, and n values are on the plot). Scale bars: A, B, 20  $\mu$ m. Calibration: C, Top, 20 mV, 1 s; C, Bottom, 20 mV, 2 ms; **D**, Top, 20 mV, 200 ms; **D**, Bottom, 20

mV, 200 ms; E, 20 mV, 20 ms.

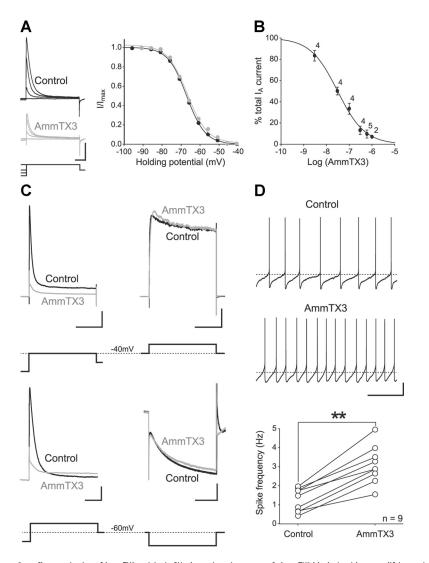


Figure 2. Characterization of AmmTX3 activity in SNc dopaminergic neurons. A, AmmTX3 blocks I<sub>A</sub> without modifying gating properties. Left, Voltage-clamp recordings of  $I_A$  (step to -40 mV from holding potentials of -40, -60, -70, and -80 mV shown beneath traces) obtained from the same neuron in control conditions (top, black traces) and in the presence of 100 nm AmmTX3 (bottom, gray traces). Right, Inactivation curves corresponding to the traces presented on the left. Note that AmmTX3 only reduces the amplitude of the current without modifying the inactivation properties. **B**, Dose—response curve of the effect of AmmTX3 on I<sub>A</sub> amplitude in SNc dopaminergic neurons in acute brain slices. Numbers above the points indicate the number of cells used for the quantification of the effect of the toxin at different concentrations. C, 300 – 600 nm AmmTX3 blocks  $I_{\Delta}$  but does not affect the delayed rectifier potassium current (n = 5) or  $I_{\rm H}$  (n = 4). Top, Voltage-clamp recordings of  $I_{\rm A}$  (left, step to  $-40\,{\rm mV}$  from  $a-100\,mV$  prestep shown beneath traces) and the delayed rectifier potassium current (right, step to  $-10\,mV$  from  $a-40\,mV$ prestep shown beneath traces) from the same neuron in control (black traces) and in the presence of 300 nm AmmTX3 (gray traces). Bottom, Voltage-clamp recordings of  $I_A$  (left, step to -40 mV from a -100 mV prestep shown beneath traces) and  $I_H$  (right, step to -110 mV from a -60 mV prestep shown beneath traces) from the same neuron in control (black traces) and in the presence of 300 nm AmmTX3 (gray traces). Note that while  $I_{\Delta}$  is almost completely abolished by toxin application, the potassium-delayed rectifier current and  $I_H$  are not affected.  $\boldsymbol{D}$ , AmmTX3 has the expected effect of  $I_A$  blockers on spontaneous pacemaker activity. Top and Middle, Current-clamp recordings of spontaneous activity in a neuron in control condition (top) and in the presence of 300 nm AmmTX3 (middle). Bottom, Scatter plot showing the significant increase in spontaneous frequency induced by 300 nm AmmTX3 in nine SNc dopaminergic neurons. Dashed lines indicate  $-60\,\mathrm{mV}$  (current-clamp) or 0 pA (voltage-clamp). \*\*p < 0.01. Calibration: A, 2 nA, 100 ms; C, Top right and left, 2 nA, 200 ms; C, Bottom left, 1 nA, 100 ms; C, Bottom right, 250 pA, 500 ms; D, 20 mV, 2.5 s.

were normalized to the input conductance to account for the shunting effect of background membrane conductances on the efficiency of injected conductances. Input conductance was measured using a hyperpolarizing current-clamp pulse after complete blockade of  $I_{\rm A}$  and  $I_{\rm H}$ .

To inject the models of  $I_{\rm A}$  and  $I_{\rm H}$ , we used the SM-2 software developed by Hugh Robinson (Robinson, 2008) (Cambridge Conductance), which runs on a scriptable digital-signal-processing (DSP)-based system for dynamic conductance injection. Conductance definitions for  $I_{\rm H}$  and  $I_{\rm A}$  were compiled and downloaded from the PC to a P-25M DSP board

(Innovative Integration), which executes the conductance injection with a sampling rate of 40 KHz over a 2 V range with a resolution of 0.1 mV.

Data acquisition and analysis. Data were acquired using an EPC 10 USB patch-clamp amplifier (HEKA) and the Patchmaster software acquisition interface (HEKA). Analysis was performed using FitMaster v2x30 (Heka ) and Igor Pro (version 6.0, WaveMetrics). The statistical analysis, performed according to the distribution properties of the data, included linear regression, multiple linear regression, product moment (Pearson), rank order correlation (Spearman), unpaired t test, Mann-Whitney, paired t test, Fisher test (for variance comparison), one-way ANOVA, standard sigmoidal fitting procedure, and Gaussian fitting procedure (all conducted using SigmaPlot 10.0, Jandel Scientific), with p < 0.05 considered to be statistically significant. Figures were prepared using SigmaPlot, GraphPad Prism 5, Igor Pro, Photoshop CS4, and Adobe Illustrator CS4. Unless otherwise stated, data are presented as mean ± SEM in figures and as mean  $\pm$  SD in the main text.

#### **Results**

## Dissecting the rebound properties of SNc dopaminergic neurons

To investigate the roles of  $I_A$  and  $I_H$  in the rebound properties of SNc dopaminergic neurons, we first performed a detailed current-clamp analysis of these neurons in P16-P22 rat acute midbrain slices. SNc dopaminergic neurons were identified based on their location, size, and morphology (Fig. 1A) and their characteristic electrophysiological properties (Kita et al., 1986; Grace and Onn, 1989; Kitai et al., 1999) (Fig. 1C). In 72 of 73 cells, the dopaminergic identity was confirmed by post hoc tyrosine hydroxylase (a dopamine synthesis enzyme) immunolabeling (Fig. 1 *B*). Consistent with the numerous studies performed on this preparation (Kita et al., 1986; Grace and Onn, 1989; Kitai et al., 1999; Nedergaard, 1999; Liss et al., 2001; Putzier et al., 2009), most dopaminergic neurons displayed low-frequency pacemaker activity (mean frequency, 1.41 ± 0.75 Hz, n = 116), with slow action potentials (mean half-width,  $1.56 \pm 0.38$  ms, n = 125; Fig. 1C), and a characteristic response to long hyperpolarizing current steps consisting of a large voltage sag (>30mV) during current injection and a bi-

phasic repolarization after hyperpolarization is released (Fig. 1 D). While the sag is thought to be essentially the consequence of the activation of  $I_{\rm H}$  (Franz et al., 2000; Neuhoff et al., 2002), the biphasic rebound most likely reveals the influence of  $I_{\rm A}$  at subthreshold potentials (Kita et al., 1986; Nedergaard, 1999). The rebound was separated into two successive phases based on its voltage trajectory (Fig. 1 E): an immediate repolarization phase

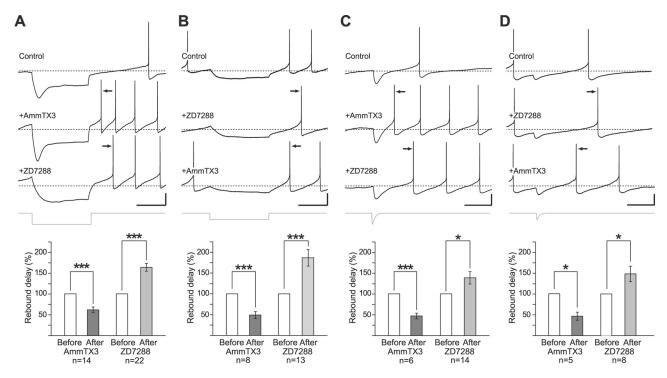


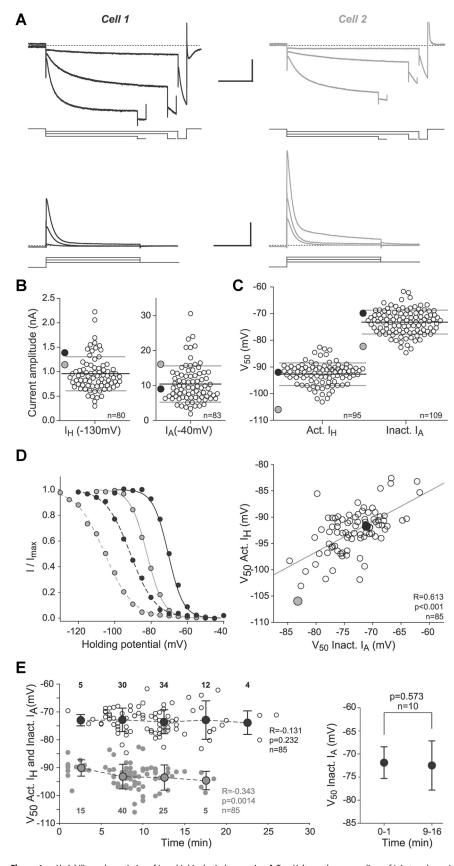
Figure 3. Effects of specific blockers of  $I_A$  and  $I_H$  on rebound properties. **A**, Rebound response induced by a 1 s hyperpolarizing pulse (-84.0 mV at the end of the pulse) in control (top trace), in the presence of 300 nm AmmTX3 (middle trace), and in the presence of AmmTX3 + 3 μm ZD7288 (bottom trace). Bottom, Bar plot showing the average rebound delay values before and after the application of AmmTX3 and ZD7288. **B**, Rebound response induced by a 1 s hyperpolarizing pulse (-71.9 mV at the end of the pulse) in control (top trace), in the presence of 3 μm ZD7288 (middle trace), and in the presence of ZD7288 + 300 nm AmmTX3 (bottom trace). Bottom, Bar plot showing the average rebound delay before and after the application of AmmTX3 and ZD7288. **C**, Same experimental protocol as in **A**, but using short synaptic-like hyperpolarizations (-84.9 mV at the peak) to induce the rebound. Bottom, Bar plot showing the average rebound delay before and after AmmTX3 and ZD7288 application. **D**, Same experimental protocol as in **B**, but using short synaptic-like hyperpolarizations (-71.9 mV at the peak) to induce the rebound. Bottom, Bar plot showing the average rebound delay values before and after AmmTX3 and ZD7288 application. The gray traces in **A**–**D** represent the current stimulus. \*p < 0.05, \*\*p < 0.01, \*\*\*p < 0.001. Dashed lines in traces indicate -60 mV. Calibration: **A**–**D**, 20 mV, 500 ms.

after release from hyperpolarization (phase I) leading to a kink  $(V_{\rm kink}$  is the membrane potential at this point), from which arises a slow repolarization phase (phase II), leading to spike threshold. While the duration of phase I was not correlated with rebound delay, both  $V_{\rm kink}$  and the slope of repolarization during phase II (phase II slope) showed significant correlations with rebound delay  $[V_{\rm kink}$  vs log(rebound delay), R=-0.648, p<0.001, n=118; log(phase II slope) vs log(rebound delay), R=-0.963, p<0.001, n=118, Pearson; Fig. 1 F, G].  $V_{\rm kink}$  and phase II slope also shared a significant positive correlation, such that phase II slope increased when  $V_{\rm kink}$  depolarized [log(phase II slope) vs  $V_{\rm kink}, R=0.592, p<0.001, n=138,$  Pearson], suggesting that these two parameters may be mediated by common mechanisms.

Although long hyperpolarizing current steps such as those used here (1 s duration, leading to voltages of  $-84.0 \pm 1.8$  mV at the end of the pulse) constitute the typical protocol used to analyze rebound properties (Harris-Warrick et al., 1995; Neuhoff et al., 2002), we wanted to determine whether such rebound behavior could be triggered by more "physiological" stimuli. As GABAergic synaptic inputs represent >70% of the total number of synaptic inputs received by SNc dopaminergic neurons (Tepper and Lee, 2007), we also used short current injections reproducing the waveform of a GABAergic IPSC (Tanaka et al., 2009; scaled to reach a peak hyperpolarization of  $-84.9 \pm 2.1$  mV; Fig. 1D). Although these events were shorter and induced a milder hyperpolarization than the 1 s current step, they triggered a very similar biphasic rebound (Fig. 1D). Moreover, the quantitative relationships between  $V_{kink}$ , phase II slope, and rebound delay for the short synaptic-like hyperpolarizations lay along the same distribution as those observed for long hyperpolarizations (Fig. 1F, G).

### $I_{\rm A}$ and $I_{\rm H}$ have opposite and complementary effects on rebound firing

To determine the precise contribution of  $I_A$  and  $I_H$  to the rebound properties, we tested the effect of specific blockers of the channels underlying these currents in dopaminergic neurons. In SNc dopaminergic neurons,  $I_A$  and  $I_H$  are carried by the long isoform of the potassium Kv4.3 channel (Liss et al., 2001; Hahn et al., 2003) and by subunits 2, 3, and 4 of the hyperpolarizationactivated cyclic nucleotide-gated (HCN) channels, respectively (Franz et al., 2000; Neuhoff et al., 2002). While ZD7288 was used to block  $I_{\rm H}$  (Neuhoff et al., 2002; Chan et al., 2007), we used the scorpion toxin AmmTX3, a pore-blocker for the Kv4 channel family (Vacher et al., 2002, 2004), to block  $I_A$  (Fig. 2). In SNc dopaminergic neurons, nanomolar concentrations of AmmTX3 selectively blocked  $I_A$  and increased spontaneous pacemaking frequency (Fig. 2, p < 0.01, n = 9, paired t test), as expected for  $I_A$ blockers in these cells (Nedergaard, 1999; Liss et al., 2001; Putzier et al., 2009). We used nonsaturating concentrations of AmmTX3 (300 nm) and ZD7288 (3  $\mu$ m), which suppress 60–85% of either current but did not disrupt the characteristic biphasic waveform of the rebound (Fig. 3). AmmTX3 and ZD7288 were applied consecutively to neurons in randomized order. As their effects were consistent with respect to the induced changes in rebound delay, phase II slope, and  $V_{kink}$  for all hyperpolarizing protocols independent of the order in which they were applied, the

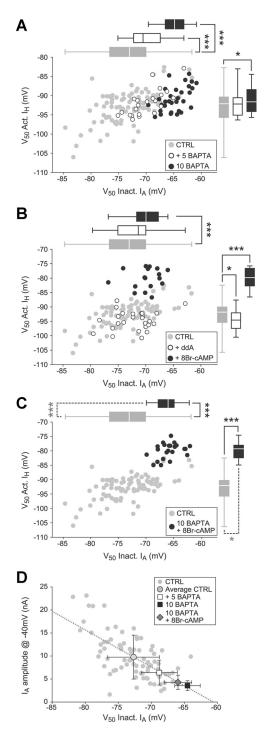


**Figure 4.** Variability and covariation of  $I_A$  and  $I_H$  biophysical properties. **A**, Top, Voltage-clamp recordings of  $I_H$  in two dopaminergic neurons in response to hyperpolarizing pulses at -80, -100, and -120 mV from a holding potential of -60 mV, followed by a pulse at -130 mV. Bottom, Voltage-clamp recordings of  $I_A$  in the same cells in response to a depolarizing pulse to -60, -50, and -40 mV from a holding potential of -100 mV. Dashed lines indicate 0 pA. **B**, Scatter plots showing the variability in amplitude of  $I_H$  maximum current recorded at -130 mV (left) and  $I_A$  recorded at -40 mV (right). Black and gray lines indicate the

data were pooled into before and after AmmTX3/ZD7288 application datasets.

ZD7288 and AmmTX3 induced opposite changes in rebound firing in response to both long and short synaptic-like hyperpolarizations leading to voltages of -84.0 at the end and -84.9 at the peak of the pulse, respectively (Fig. 3A, C). When using long hyperpolarizing steps, AmmTX3 significantly decreased rebound delay (p < 0.001, n = 14, paired t test), increased phase II slope (p = 0.007, n = 9, paired t test), and depolarized  $V_{\text{kink}}$ (p = 0.001, n = 9, paired t test), while ZD7288 significantly delayed rebound firing (p < 0.001, n = 22, paired t test), decreased phase II slope (p < 0.001, n = 18, paired t test), and hyperpolarized  $V_{kink}$ (p = 0.003, n = 18, paired t test; Fig. 3A;see Fig. 8D), consistent with previous observations (Neuhoff et al., 2002). These effects were consistent with the correlations between  $V_{kink}$ , phase II slope, and rebound delay described earlier (Fig. 1F, G). AmmTX3 and ZD7288 also significantly decreased (p < 0.001, n = 6, paired t test) and increased (p = 0.023, n = 14, paired ttest) rebound delay, respectively, after short synaptic-like hyperpolarizations (Fig. 3C). As the hyperpolarizing protocols used so far could potentially enhance  $I_{\rm H}$ involvement in the rebound responses, we also induced rebound firing using hyperpolarizations that resulted in voltages of  $-71.9 \pm 1.3$  and  $-71.9 \pm 1.5$  mV at the end of the pulse for long hyperpolariza-

mean and SD, respectively. C, Scatter plots showing the variability in the voltage dependence of activation of  $I_{\mu}$  (left) and inactivation of  $I_{\Delta}$  (right). Black and gray lines indicate the mean and SD, respectively.  $\mathbf{D}$ , Left,  $I_{H}$  activation (dashed line) and I₁ inactivation (solid line) curves corresponding to the cells presented in A. Right, Scatter plot showing the significant positive correlation between  $I_{\rm H}$  activation and  $I_{\rm A}$  inactivation  $V_{50}$ values. In B-D, the black and gray circles correspond to the voltage-clamp recordings of the two neurons presented in A. **E**, Left, Scatter plot showing the relationships between the time after breaking into whole-cell configuration and I<sub>A</sub> inactivation (small empty circles) or  $I_{\rm H}$  activation (small gray circles)  $V_{50}$  values for the cells presented in Figure 4D, right. Large circles represent the average values of  $I_A$  inactivation (black) and  $I_{\rm H}$  activation (gray)  $V_{\rm SO}$  values for each 5 min time window following break-in to whole-cell configuration (the *n* for each 5 min time window is indicated at the top and bottom of the plot). Note the lack of a significant correlation between  $I_{\Delta}$  inactivation  $V_{50}$  values and time following break-in, and the significant correlation between the time following break-in and  $I_{\rm H}$  activation  $V_{\rm 50}$  values (R, p, and n values are indicated on the plot). Right, Plot showing no change between the average  $I_A$ inactivation  $V_{50}$  values in the same cells (n = 10) recorded immediately after obtaining whole-cell configuration (0-1)min) and again after 9-16 min. Calibration: A, Top, 500 pA, 2 s; Bottom, 4 nA, 200 ms. Error bars represent SD.



**Figure 5.**  $I_A$  and  $I_H$  covariation of voltage dependences is sensitive to cytosolic calcium and cAMP concentrations. A, Scatter and box plots illustrating the effect of BAPTA on  $I_H$  activation and  $I_A$  inactivation voltages. Compared with the control population (A–C, gray circles/boxes; n=109 and 95 for  $I_A$  inactivation and  $I_H$  activation  $V_{50}$  values, respectively), the addition of 5 mm BAPTA to the patch pipette (white circles/boxes) significantly depolarizes the inactivation  $V_{50}$  of  $I_A$  (n=22), but not the activation  $V_{50}$  of  $I_H$  (n=22). The replacement of EGTA with 10 mm BAPTA in the patch pipette (black circles/boxes) significantly depolarizes both  $I_A$  inactivation and  $I_H$  activation  $V_{50}$  values (n=38 and 35, respectively). B, Scatter and box plots showing the effects of ddA and 8-Br-cAMP on  $I_A$  inactivation and  $I_H$  activation  $V_{50}$  values. ddA (white circles/boxes) significantly hyperpolarized  $I_H$  activation  $V_{50}$  (n=22), but did not significantly shift  $I_A$  inactivation (n=21) and  $I_H$  activation (n=17)  $V_{50}$  values. C, Scatter and box plots illustrating the effect of the coapplication of 10 mm BAPTA and 8-Br-cAMP on  $I_A$  inactivation and  $I_H$  activation  $V_{50}$  values. Data show that 10 mm BAPTA/8-Br-cAMP (black circles/boxes) significantly depolarized  $I_A$  inactivation (n=24) and  $I_H$  activation (n=22)  $V_{50}$  values (black asterisks), and

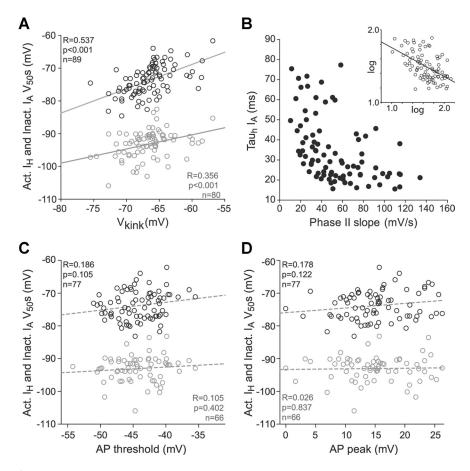
tions and at the peak for the short hyperpolarizations, respectively (Fig. 3B,D). These milder hyperpolarizations are equivalent to the trough voltage recorded during spontaneous pacemaking (-72.1  $\pm$  4.4 mV, n = 162) and induce a weaker activation of  $I_H$  (Fig. 3 B, D). Even in these conditions, AmmTX3 and ZD7288 significantly decreased and increased rebound delay, respectively, for both long (p < 0.001, n = 8, paired t test; p <0.001, n = 13, paired t test) and short hyperpolarizations (p <0.05, n = 5, paired t test; p < 0.05, n = 8, paired t test; Fig. 3B, D). Moreover, the magnitude of the effects of ZD7288 and AmmTX3 on rebound delay was not statistically different between the -84and -72 mV long and short hyperpolarization protocols (oneway ANOVA; p = 0.24, p = 0.40, respectively; Fig. 3). These results confirm that common biophysical mechanisms involving predominantly  $I_A$  and  $I_H$  underlie rebound firing, and suggest that  $I_A$  and  $I_H$  complementarity may be involved in physiological responses to inhibitory inputs.

### Variability and correlations in the biophysical properties of $I_{\rm A}$ and $I_{\rm H}$

To determine the biophysical basis of the strong functional complementarity of  $I_A$  and  $I_H$ , we measured the amplitude, voltage dependence, and kinetics of  $I_{\rm H}$  and  $I_{\rm A}$  in 109 SNc dopaminergic neurons. We first observed that dopaminergic neurons exhibit widely different  $I_A$  and  $I_H$  amplitudes and voltage dependences (Fig. 4A–C). While variability in the amplitude of currents (Fig. 4B) has already been described for various currents in many systems (including  $I_A$  and  $I_H$  in SNc neurons) (Liss et al., 2001; Golowasch et al., 2002; Neuhoff et al., 2002; MacLean et al., 2005; Swensen and Bean, 2005; Schulz et al., 2006, 2007; Khorkova and Golowasch, 2007; Goaillard et al., 2009; Temporal et al., 2011), we found that other properties, such as voltage dependence, can also display a high degree of variability from cell to cell (Fig. 4C). The variability in voltage dependence [represented by the activation and inactivation midpoints (V50)] and amplitude was independent of age (age vs  $I_{\rm H}$  activation  $V_{50}$  or  $I_{\rm A}$  inactivation  $V_{50}$ : R = -0.164, p = 0.098, n = 104, Pearson; or R = -0.24, p = -0.0980.168, n = 125, Pearson; age vs  $I_H$  or  $I_A$  amplitude: R = -0.07, p = 0.48, n = 84, Spearman; or R = 0.058, p = 0.747, n = 33, Spearman, respectively) and of the input resistance of the neurons (input resistance vs  $I_{\rm H}$  activation  $V_{50}$  or  $I_{\rm A}$  inactivation  $V_{50}$ : R = 0.114, p = 0.294, n = 86, Spearman; or R = 0.0852, p = 0.38, n = 108, Spearman; input resistance vs  $I_H$  or  $I_A$  amplitude: R =-0.0543, p = 0.647, n = 73, Spearman; or R = -0.227, p = -0.05430.226, n = 30, Spearman, respectively). Various studies have shown that the inactivation and activation properties of the Kv4 channels can be regulated either independently (Anderson et al., 2010) or in a coordinated manner (Hoffman and Johnston, 1998; Yu et al., 1999; Levy et al., 2010). We measured  $I_A$  activation properties in a subset of neurons (n = 32) and found that the half-inactivation and the half-activation voltages of  $I_A$  were positively correlated (R = 0.418, p = 0.017, Pearson). Consistent

also significantly reduced the variability (gray asterisks, F test) for both  $I_A$  inactivation and  $I_H$  activation  $V_{SO}$  values compared with the control population.  $\mathbf{D}$ , Scatter plot illustrating the negative linear regression (R=-0.663, p<0.001) present between  $I_A$  inactivation  $V_{SO}$  and the amplitude of  $I_A$  measured at -40 mV in the control population (gray circles), and the alignment of the average values for the control population (large gray circle), 5 mm BAPTA (white square), 10 mm BAPTA (black square), and 10 mm BAPTA/8-Br-cAMP conditions (gray diamond) along this regression line. Box-and-whisker plots in  $\mathbf{A}-\mathbf{C}$  represent the median value and first and third quartiles (box), and the minimum and maximum values of the distribution (whiskers). Error bars in  $\mathbf{D}$  represent SD. \*p<0.05, \*\*\*p<0.01, \*\*\*p<0.01, \*\*\*p<0.001.

←



**Figure 6.** Summary of correlations between  $I_{\rm A}$  and  $I_{\rm H}$  biophysical properties and firing parameters.  ${\it A}$ , Scatter plot showing the significant positive correlations between the  $V_{\rm kink}$  and  $I_{\rm A}$  inactivation (black) and  $I_{\rm H}$  activation (gray)  $V_{\rm 50}$  values. Gray lines indicate the linear regressions for  $I_{\rm A}$  and  $I_{\rm H}$   $V_{\rm 50}$  values (R, p, and n values are at the top left and bottom right of the plot), respectively.  ${\it B}$ , Scatter plot illustrating the significant correlation between  $I_{\rm A}$   $\tau_{\rm h}$  and phase II slope. The gray line (inset) indicates the linear regression between the log transforms of the variables.  ${\it C}$ , Scatter plot representing the absence of correlations between action potential threshold and  $I_{\rm A}$  (black) and  $I_{\rm H}$  (gray)  $V_{\rm 50}$  values. The dashed gray line indicates the linear regressions (R, p, and n values are on the plot).  ${\it D}$ , Scatter plot representing the absence of correlations between action potential peak and  $I_{\rm A}$  (black) and  $I_{\rm H}$  (gray)  $V_{\rm 50}$  values. The dashed gray line indicates the linear regressions (R, p, and n values are on the plot).

with the coordinated shift in  $I_{\rm A}$  inactivation and activation  $V_{50}$  values,  $I_{\rm A}$  amplitude measured at -40 mV was found to be negatively correlated with  $I_{\rm A}$  inactivation  $V_{50}$  in the whole population (Fig. 5D, gray circles; R=-0.614, p<0.001, n=83, Spearman), as less current is generated at a given potential when the activation curve shifts toward depolarized potentials.

We then wondered whether the functional complementarity between  $I_A$  and  $I_H$  could emerge from the coregulation of some of their biophysical properties. Studies mostly performed on invertebrates have shown that the amplitude of  $I_A$  and  $I_H$  or the levels of expression of the channels carrying  $I_A$  and  $I_H$  are positively correlated in various cell types (MacLean et al., 2005; Schulz et al., 2007; Tobin et al., 2009; Cao and Oertel, 2011). As the large amplitude of  $I_A$  (>20 nA) in SNc dopaminergic neurons prevents an accurate measurement of the maximum conductance of the current in most SNc dopaminergic neurons, we were able to determine the maximum conductances of both  $I_A$  and  $I_H$  in a small subset of neurons (n = 23), and did not observe a statistically significant correlation between these parameters (R = 0.258, p =0.242, n=22, Spearman). Surprisingly, though, measuring  $I_{\rm H}$ activation properties and  $I_A$  inactivation properties revealed that their voltage dependences were positively correlated (R = 0.613, p < 0.001, n = 85, Pearson; Fig. 4D). In addition, there was also a significant positive correlation between  $I_{\rm H}$  activation  $V_{50}$ and  $I_A$  activation  $V_{50}$  (R = 0.459, p = 0.0315, n = 22, Spearman). When the time of recording following breaking into whole-cell configuration was compared with  $I_A$  inactivation  $V_{50}$ , there was no significant change over time (R = 0.131, p =0.232, n = 85, Spearman; Fig. 4*E*). Rundown experiments verified that  $I_A$  inactivation  $V_{50}$  values did not change over time during whole-cell recording in the same cells:  $I_A$  was measured immediately following break-in and again after 9-16 min (p = 0.573, n = 10, paired t test; Fig. 4E).However, there was a small but significant hyperpolarization of  $I_{\rm H}$  activation  $V_{50}$ over time (-0.32 mV/min, R = 0.343, p =0.001, n = 85, Spearman; Fig. 4E), as has been previously reported (Zolles et al., 2006). Nevertheless, significant variability was present for  $I_H$  activation and  $I_A$  inactivation  $V_{50}$  values recorded within 5 min of obtaining whole-cell configuration (Fig. 4E). Importantly, despite the slight hyperpolarization of  $I_{\rm H}$  over time, there was a significant correlation between  $I_{\rm H}$ and  $I_A$   $V_{50}$  values in subsamples of cells from narrow time windows at the beginning (1-7.5 min, R = 0.673, p < 0.001,n = 31, Spearman), middle (8–11 min, R = 0.532, p = 0.0013, n = 34, Spearman), or end (11.5-19 min, R = 0.692,p < 0.001, n = 20, Spearman) of the time range. These data demonstrate that cytoplasmic dialysis was not responsible for the variability of  $I_A$  inactivation and  $I_H$  activation  $V_{50}$  values or their covariation.

## $I_{\rm H}$ and $I_{\rm A}$ covariation of voltage dependences is sensitive to cAMP and calcium levels

We then considered the potential molecular machinery underlying the  $I_{\rm A}$  and  $I_{\rm H}$  covariation in voltage dependences. Kv4.3 channels in the SNc dopaminergic neurons are associated with the calcium-sensitive auxiliary subunit KChip3.1 (Liss et al., 2001). Thus,  $I_{\rm A}$  properties might be modulated by calcium variations (An et al., 2000), as has been demonstrated in other cell types (Patel et al., 2002; Anderson et al., 2010). Furthermore, two of the three subunits responsible for  $I_{\rm H}$  in SNc dopaminergic neurons (HCN2 and HCN4; Franz et al., 2000) are very sensitive to cAMP variations (Biel et al., 2009), and two out of the three adenylyl cyclases detected in the SNc dopaminergic neurons are inhibited by calcium (Chan et al., 2007). Therefore, we investigated whether locking intracellular calcium and cAMP levels could induce a coordinated shift of  $I_{\rm A}$  and  $I_{\rm H}$  voltage dependences and/or reduce the variability of their covariation.

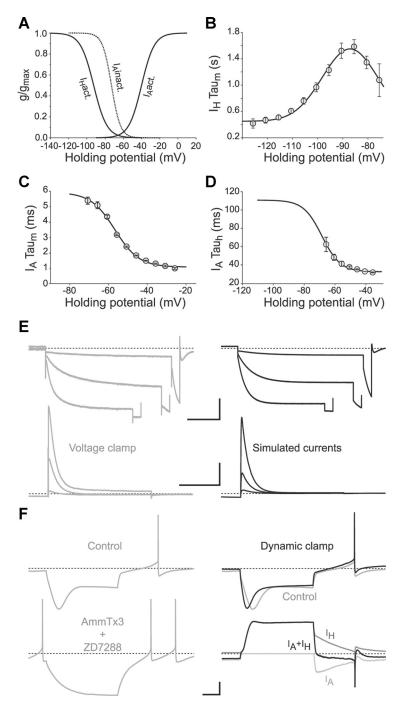
Cells recorded with the fast calcium chelator BAPTA (5 mm) added to the control intracellular solution exhibited  $I_{\rm A}$  inactivation  $V_{50}$  values slightly depolarized compared with the control population (average of  $-69.91\pm3.07$  vs  $-73.18\pm4.48$ , p<0.001, n=22 vs n=109, Mann–Whitney), but no significant change in  $I_{\rm H}$  activation  $V_{50}$  values (p=0.64, n=22 vs n=95,

Mann–Whitney; Fig. 5*A*). However, using an intracellular solution containing 10 mm BAPTA and no EGTA resulted in a larger depolarization of  $I_A$  inactivation  $V_{50}$  ( $-64.81 \pm 2.13$  vs  $-73.18 \pm 4.48$ , p < 0.001, n = 38 vs n = 109, unpaired t test) and a slight but significant depolarization of  $I_H$  activation  $V_{50}$  ( $-90.78 \pm 3.16$  vs  $-92.72 \pm 4.24$ , p = 0.015, n = 35 vs n = 95, unpaired t test; Fig. 5*A*). Interestingly, the  $I_A$  inactivation  $V_{50}$  values measured in 10 mm BAPTA were located within the range recorded in control condition, but clustered at the depolarized edge of the range.

To manipulate the cytosolic cAMP levels, we first used a nonselective adenylyl cyclase inhibitor ddA (20  $\mu$ M) to induce a decrease in cAMP concentration (Chan et al., 2007). While ddA induced a significant hyperpolarization of  $I_H$  activation  $V_{50}$  values (-94.8  $\pm$  3.55 vs -92.72  $\pm$ 4.24, p = 0.0186, n = 22 vs n = 95, MannWhitney),  $I_A$  inactivation  $V_{50}$  values were unaffected (p = 0.19, Mann–Whitney; Fig. 5B). We then used the nondegradable cAMP analog 8-Br-cAMP (25 μM) to artificially increase the cytosolic cAMP level, resulting in a significant depolarization of both  $I_{\rm H}$  activation  $V_{50}$  (-80.23  $\pm$  3.5 vs  $-92.72 \pm 4.24$ , p < 0.001, n = 17 vs n =95, Mann–Whitney) and  $I_A$  inactivation  $V_{50}$  values (-69.99  $\pm$  2.58 vs -73.18  $\pm$ 4.48, p < 0.001, n = 21 vs n = 109, MannWhitney; Fig. 5B).

These experiments demonstrate that  $I_{\rm A}$  and  $I_{\rm H}$  are affected by changes in both cytosolic calcium and cAMP, with  $I_{\rm A}$  being more sensitive to calcium manipulation while  $I_{\rm H}$  is more sensitive to cAMP manipulation. As dopaminergic SNc neurons possess the molecular machinery to enable cross talk between the cAMP and calcium signaling pathways (Chan et al., 2007), we also tested the effect of combining 10 mm BAPTA with 8-Br-cAMP. This condition resulted in a dramatic depolarization of both  $I_A$  inactivation  $V_{50}$  $(-65.96 \pm 2.07 \text{ vs } -73.18 \pm 4.48, p <$ 0.001, n = 24 vs n = 109, Mann-Whitney) and  $I_{\rm H}$  activation  $V_{50}$  (-80.12  $\pm$  2.69 vs  $-92.72 \pm 4.24$ , p < 0.001, n = 24 vs n = 95, Mann–Whitney; Fig. 5C). Most interestingly, combining BAPTA and 8-Br-cAMP was associated with a significant reduction in the variability of  $I_A$ inactivation (Fisher test to compare variances, F = 4.7, p < 0.001) and  $I_H$  activation (F = 2.49, p = 0.015)  $V_{50}$  values (Fig.

5C), effectively restricting the covariation of  $I_{\rm H}$  and  $I_{\rm A}$  voltage dependencies to a small region of the parameter space. While the values recorded in control condition covered a range of 23.0 and 23.4 mV for  $I_{\rm A}$  inactivation and  $I_{\rm H}$  activation  $V_{\rm 50}$  values, respec-



**Figure 7.** Dynamic-clamp simulation of  $I_A$  and  $I_H$  reproduces rebound profile. **A**, Activation curves of  $I_H$  and  $I_A$  and inactivation curve of  $I_A$  from the biological currents used for the dynamic clamp. **B**, Voltage dependence of the time constant of activation of  $I_H$ . The black line indicates the Gaussian fit of the experimental measures of the time constant of activation of  $I_H$  (gray circles, n = 27) used for the dynamic-clamp model. **C**, **D**, Voltage dependence of the time constants of activation (**C**) and inactivation (**D**) of  $I_A$ . The black line indicates the sigmoidal fit of the experimental values (gray circles, n = 19) used for the dynamic-clamp model. **E**, Experimental traces (gray) and dynamic-clamp simulation (black) of  $I_H$  (voltage steps to -80, -100, -120 mV from -60 mV) and  $I_A$  (steps to -60, -50, -40 mV from -100 mV). **F**, Current-clamp recordings showing the rebound profile of a neuron in control condition (gray trace, top left and right), after complete blockade of  $I_A$  and  $I_H$  (2 μμ AmmTX3, 30 μμ ZD7288, bottom left), and after injection of the simulated  $I_A$  and  $I_H$  (black trace, top right). Bottom right, Dynamic-clamp  $I_H$  (upper gray trace) and  $I_A$  (lower gray trace) currents injected into the neuron during the rebound protocol. The black trace (bottom right) corresponds to the sum of the two currents. Dashed lines indicate -60 mV (current-clamp) or 0 pA (voltage clamp, dynamic clamp). Calibration: **E**, Top, 500 pA, 2 s; E, Bottom, 2 nA, 200 ms; **F**, 20 mV/100 pA, 250 ms. See Table 1.

tively, the values recorded in BAPTA plus 8-Br-cAMP were clustered in a range of 7.9 and 10.2 mV, respectively. Moreover, these values aligned with the distribution of values recorded in the control population. These data strongly suggest that the variabil-

ity in  $I_{\rm H}$  and  $I_{\rm A}$   $V_{50}$  values is partly due to the cell-to-cell variability in the local levels of calcium and cAMP. Additionally, this observation demonstrates that the large variability in  $I_H$  and  $I_A$ voltage dependences in control condition is not a consequence of uncompensated offsets, as this measurement error would be independent of pharmacological agents. Interestingly, the depolarization and restricted variability of the values obtained in BAPTA plus 8-Br-cAMP were not associated with an increase in input resistance compared with control, therefore ruling out spaceclamp errors as the source of variability in voltage dependence of IA and IH. Furthermore, in experimental conditions in which  $I_A$  inactivation was significantly depolarized (5 mm BAPTA, 10 mm BAPTA, BAPTA plus 8-Br-cAMP), the amplitude of  $I_A$  measured at -40 mV was also significantly reduced, consistent with a coordinated depolarization of both  $I_A$  activation and inactivation curves (Fig. 5D). Although other signaling pathways may be involved in the modulation of  $I_A$  and *I*<sub>H</sub> biophysical properties, these experiments demonstrate that the covariability of  $I_A$  and  $I_H$  voltage dependences is sensitive to local calcium and cAMP levels.

#### $I_{\rm H}$ and $I_{\rm A}$ biophysical properties quantitatively determine rebound properties

What is the relationship between the different phases of the rebound and the biophysical properties of  $I_A$  and  $I_H$ ? Since rebound firing and the properties of  $I_A$  and  $I_H$  were measured in the same neurons, we were able to determine whether specific properties of these currents correlated with rebound parameters. Both  $I_A$  inactivation and  $I_{\rm H}$  activation  $V_{50}$  values positively correlated with  $V_{\text{kink}}$  (Fig. 6A, Pearson), while the  $I_{\text{A}}$  time constant of inactivation  $(I_{\rm A} \tau_{\rm h})$  negatively correlated with phase II slope (R=-0.533, p <0.001, n = 88; Fig. 6B, Pearson performed on log transforms of the variables) and with rebound delay (R = 0.511, p < 0.001, n =72, Pearson on log transforms). However, both  $I_A$  inactivation and  $I_{\rm H}$  activation  $V_{50}$  values were not correlated with the action potential threshold (R = 0.186, p = 0.105, n = 77, Pearson, and R = 0.105, p = 0.402, n = 66, Pearson, respectively; Fig. 6C) or peak voltage (R = 0.178, p = 0.122, n = 77, Pearson; or R = 0.0259, p = 0.837, n = 66, Pearson, respectively; Fig. 6D). The lack of correlation between the voltage dependences of  $I_H$  and  $I_A$  and other voltage properties in the same cells is also important as it rules out the possibility that uncompensated voltage offsets might be responsible for the covariations in  $I_{\rm H}$  and  $I_{\rm A}$  voltage dependences. Although these results suggest that the variations in  $I_A$  and  $I_H$  biophysical properties may modulate the rebound profile, they do not demonstrate a causal relationship.

Thus, we used the dynamic-clamp technique to determine whether these correlations between  $I_A$  and  $I_H$  biophysical properties and the rebound parameters represented causal relationships. The dynamic-clamp-simulated  $I_A$  and  $I_H$  were injected into neurons after complete blockade of the endogenous  $I_A$  and  $I_H$  by saturating concentrations of AmmTX3 (2 µm) and ZD7288 (30  $\mu$ M; Fig. 7F). All the parameters used in the dynamic-clamp experiments were extracted from the voltage-clamp measurements presented in Figure 4 (Fig. 7A–D; Tables 1, 2). It is important to note that no specific adjustment of biophysical parameters was performed to reproduce the effects of the currents on rebound firing. The traces in Figure 7E show that these parameters precisely reproduced the voltage-clamp recordings obtained for the biological currents. Using these nonadjusted parameters also accurately reproduced the rebound behavior observed in unperturbed SNc dopaminergic neurons (Fig. 7F). Indeed, simulating

Table 1. Equations and parameters used for the dynamic-clamp models of  $I_A$  and  $I_H$ 

Table 1. Equations and parameters used for the dynamic claims models of 74 and 74							
General	Current	$I(V,t) = gm_i * m(V,t) * h(V,t) * (V-E_{rev})$					
equations	$m_{\infty}$	$m_{\infty}(V) = 1/(1 + \exp[(V - V_{50m})/b])$					
	$h_{\infty}$	$h_{\infty}(V) = 1/(1 + \exp[(V - V_{50h})/c])$					
	dm/dt	$dm(V,t)/dt = [m_{\infty}(V) - m(V,t)]/\tau_{m}(V)$					
	d <i>h/</i> d <i>t</i>	$dh(V,t)/dt = [h_{\infty}(V) - m(V,t)]/\tau_{h}(V)$					
/ <sub>H</sub> variables	$m_{\infty}$	$V_{50m}$ , $b = -7.25$					
	$ au_{ m m}$ (ms)	$\tau_{\rm m}(V) = 456.5 + 1097.2 * \exp(-0.5 * [(V_{\tau})/11.06]^2)$					
	$h_{\infty}$	1					
	$E_{\text{rev}}$ (mV)	-40					
	$gm_{\rm H}$ (nS) $^a$	13.9					
$I_{\rm A}$ variables	$m_{\infty}$	$V_{\text{50m}}$ , $b=7$					
	$ au_{ m m}$ (ms)	$\tau_{\rm m}(V) = 1.029 + [4.83/(1 + \exp[(V + 56.7)/6.22])]$					
	$ au_{m'slow}(ms)$	$\tau_{\rm m}(V) = 1.543 + [7.25/(1 + \exp[(V + 56.7)/6.22])]$					
	$h_{\infty}$	$V_{50h}$ , $c = -4.9$					
	$ au_{\sf h \prime slow}$ (ms)	$\tau_{\rm h}(V) = 58.6 + [117.57/(1 + \exp[(V + 68.5)/5.95])]$					
	$E_{\text{rev}}$ (mV)	-100					
	$gm_{A}^{}$ (nS) $^{a}$	316.8					

<sup>a</sup>The values given for  $gm_{\rm A}$  and  $gm_{\rm H}$  correspond to 100% of the  $gm_{\rm A}$  and  $gm_{\rm H}$  used in the dynamic-clamp simulation of partial inhibition of  $I_{\rm H}$  and  $I_{\rm A}$  (Fig. 8). These values were also used for the experiments of covariation of voltage dependences. To assess the effects of varying the ratio of the two maximum conductances on the rebound, we used a range of 20 –240% of the  $gm_{\rm A}$  and  $gm_{\rm H}$  values.

Table 2. Covariation of IA and IH voltage dependences

	Mean I <sub>H</sub> Mean I <sub>A</sub> (2)	Hyp. I <sub>H</sub> Hyp. I <sub>A</sub> (3)	Dep. I <sub>H</sub> Dep. I <sub>A</sub> (1)	Dep. I <sub>H</sub> Hyp. I <sub>A</sub> (4)	Hyp. I <sub>H</sub> Dep. I <sub>A</sub> (5)
I <sub>H</sub>					
V <sub>50m</sub>	-92.5	-96.9	-88.2	-85	-100
$V_{\tau}$	<b>-87.1</b>	<b>-91.9</b>	-83.3	-80.1	-95.1
IA					
V <sub>50m</sub>	<b>-40</b>	-47.5	-32.5	-44.3	-35.7
V <sub>50h</sub>	<b>-73</b>	-80.5	-65.5	-77.3	-68.7

Numbers in parentheses correspond to the combinations represented in Fig. 10C. All values are in mV. Hyp., Hyper-polarized: Dep., depolarized.

the average parameters of  $I_A$  and  $I_H$  yielded  $V_{\rm kink}$  and phase II slope values very similar to the average values observed in current-clamp in unperturbed neurons ( $V_{\rm kink} = -66.87 \pm 1.0 \, \rm vs$  $-66.4 \pm 3.9 \text{ mV}, n = 10 \text{ vs } n = 118, p = 0.31, \text{Mann-Whitney};$ phase II slope =  $62.72 \pm 8.99 \text{ vs } 57.4 \pm 23.9 \text{ mV/s}, n = 10 \text{ vs } n =$ 118, p = 0.13, Mann-Whitney). This is particularly interesting since one of the drawbacks of the dynamic-clamp technique is that the simulated conductances are injected at a single point (in our case, the soma). If the currents characterized in voltageclamp are mostly located far from the soma, space-clamp errors will contaminate the voltage-clamp measurements, and the simulation of these erroneous currents with dynamic clamp will not accurately reproduce the firing behavior observed in currentclamp in the unperturbed neurons (Storm et al., 2009). Our results argue that the biophysical properties of  $I_A$  and  $I_H$  in dopaminergic neurons can be accurately determined using whole-cell somatic recordings, and their influence on firing can be accurately tested using somatic dynamic clamp. Consistent with this, immunohistochemical labeling (Liss et al., 2001; and in our laboratory, data not shown) and voltageclamp recordings from nucleated patches (Liss et al., 2001) and dissociated neurons (Puopolo et al., 2007) have also unambiguously demonstrated that  $I_H$  and  $I_A$  currents are present at high densities at the soma of SNc dopaminergic neurons. Moreover, since highly nonlinear relationships cannot be captured by averaging data (Golowasch et al., 2002; Marder and Taylor, 2011), reproducing the average firing behavior with dynamic-clamp-simulated average  $I_A$  and  $I_H$  suggests that the correlations between the biophysical properties of these currents are mostly linear or close to linearity.

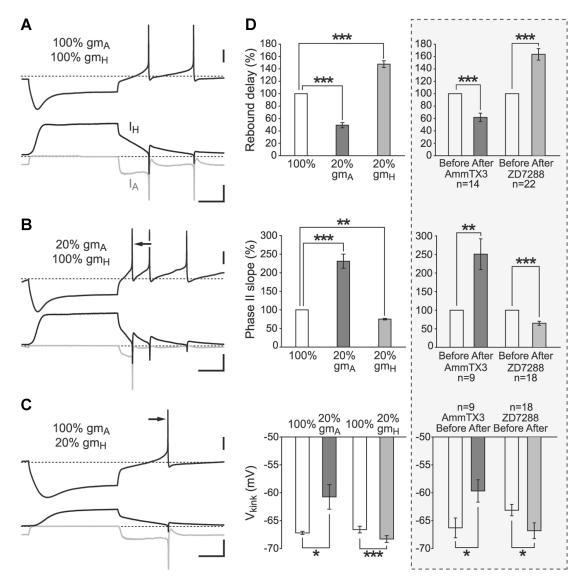
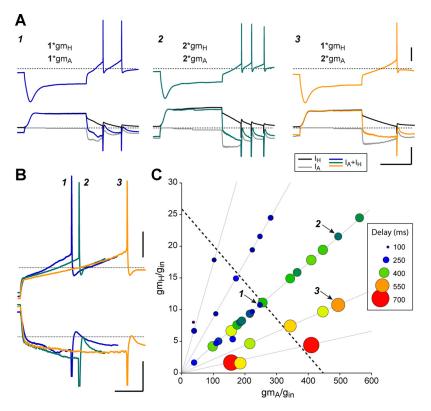


Figure 8. Dynamic clamp reproduces the effects of partial inhibition of  $I_{\rm A}$  and  $I_{\rm H}$ . A, Rebound profile (top, black trace) of a neuron in response to the injection of average  $I_{\rm A}$  (100%  $gm_{\rm A}$ , bottom, light gray trace) and  $I_{\rm H}$  (100%  $gm_{\rm H}$ , bottom, black trace) conductances. B, Rebound profile in the same neuron (top, black trace) with 20%  $gm_{\rm A}$  and 100%  $gm_{\rm H}$ . C, Rebound profile in the same neuron (top, black trace) with 20%  $gm_{\rm A}$  and 100%  $gm_{\rm A}$ . D, Left column, Bar plots summarizing the effects of reducing  $gm_{\rm A}$  (20%  $gm_{\rm A}$ ) or  $gm_{\rm H}$  (20%  $gm_{\rm H}$ ) on rebound delay, phase II slope, and  $V_{\rm kink}$ . Right column (shaded box), Bar plots summarizing the effect of blocking 60 – 85% of the  $I_{\rm A}$  and  $I_{\rm H}$  currents with AmmTX3 and ZD7288, respectively, on the different rebound parameters. The bar plots showing the effect of AmmTX3 and ZD7288 on rebound delay were also presented in Figure 3A. Dashed lines indicate -60 mV (current-clamp) or 0 pA (dynamic clamp). \*p < 0.05, \*\*p < 0.01, \*\*\*p < 0.001.

To validate the dynamic-clamp system, we simulated the AmmTX3 and ZD7288 pharmacology experiments by reducing the injected conductances  $(gm_A \text{ or } gm_H)$  to 20% of their original values (Fig. 8A-D). Reducing  $gm_A$  or  $gm_H$  qualitatively and quantitatively reproduced the effects of partial inhibition of  $I_A$ and  $I_H$  on all rebound parameters (Fig. 8 D): reducing  $gm_A$  significantly decreased rebound delay (p < 0.001, n = 5, paired t test), increased phase II slope (p = 0.002, n = 5, paired t test), and depolarized  $V_{\text{kink}}$  (p = 0.045, n = 5, paired t test), while reducing  $gm_{\rm H}$  significantly increased rebound delay (p < 0.001, n = 5, paired t test), decreased phase II slope (p < 0.001, n = 5), and hyperpolarized  $V_{\text{kink}}$  (p < 0.001, n = 5; Fig. 8D). It is especially striking that the dynamic clamp not only qualitatively reproduces the effects of AmmTX3 and ZD7288 on rebound parameters but also produces quantitative effects extremely similar to the effects of the toxins (Fig. 8D, left and right columns).

# Covarying the amplitudes or the voltage dependences of $I_{\rm H}$ and $I_{\rm A}$ induces opposite effects on rebound delay

The covariation in amplitude of  $I_{\rm A}$  and  $I_{\rm H}$  has been proposed to represent a homeostatic mechanism (MacLean et al., 2003, 2005; Cao and Oertel, 2011). Our pharmacology experiments and their dynamic-clamp replicates indeed demonstrate that these two currents have opposite and complementary effects on rebound properties in dopaminergic neurons (Figs. 3, 8), suggesting that the covariation of their amplitudes should stabilize rebound properties. To demonstrate and quantify this principle, we simulated various combinations of  $gm_{\rm A}$  and  $gm_{\rm H}$  and analyzed the variations in rebound delays associated with these different sets of parameters (Fig. 9). We found that while different ratios of  $gm_{\rm A}/gm_{\rm H}$  yielded different values of rebound delay, modifying  $gm_{\rm A}$  and  $gm_{\rm H}$  while keeping the ratio constant (independent of its original value) tended to maintain the rebound delay value (Fig.



**Figure 9.** Effects of varying  $gm_A$  and  $gm_H$  on rebound delay. **A**, Example traces showing the rebound profile (top traces) of the same neuron in response to the dynamic-clamp injection ( $I_H$ , bottom black trace;  $I_A$ , bottom gray trace; total injected current, bottom color trace) of various combinations of  $gm_H$  and  $gm_A$ : (1) 1\*  $gm_H$ , 1\*  $gm_A$ , (2) 2\*  $gm_H$ , 2\*  $gm_A$ , and (3) 1\*  $gm_H$ , 2\*  $gm_A$  with  $gm_H$  = 16.6 nS and  $gm_A$  = 380 nS. The numbers are used to identify the corresponding traces and points in **B** and **C**. **B**, Expanded superimposed current-clamp (top) and dynamic-clamp (bottom) traces corresponding to the traces shown in **A**. **C**, Summary bubble plot showing the effect of varying  $gm_A$  and  $gm_H$  on rebound delay. Increasing delay is coded by both color and size of the bubble: small blue bubbles correspond to short delays while big red bubbles correspond to long delays. Gray lines indicate constant ratio directions in parameter space. The dashed line corresponds to the direction of best sensitivity of delay in parameter space calculated by multiple linear regression of delay versus  $gm_A$  and  $gm_H$  (delay = 270 + 8.4\*  $gm_A$  - 146\*  $gm_H$ ). In this plot,  $gm_A$  and  $gm_H$  were normalized to the input conductance of the neuron and do not have dimensions. Dashed lines indicate —60 mV (current-clamp) or 0 pA (dynamic clamp). Calibration: **A**, Top, 20 mV; A, Bottom, 200 pA, 500 ms; **B**, Top, 20 mV; B, Bottom, 200 pA, 150 ms

9C, gray lines). For example, modifying only  $gm_A$  while keeping  $gm_H$  constant induced a more pronounced change in delay than if both conductances were scaled together (Fig. 9A, B, traces 1–3). From these experiments, we were also able to determine the direction of maximum sensitivity of rebound delay in the parameter space (the optimal coordinated changes in  $gm_A$  and  $gm_H$  yielding maximal changes in delay): decreasing  $gm_H$  by approximately threefold while increasing  $gm_A$  by approximately fourfold (Fig. 9C, dotted line). Therefore, maintaining a constant ratio between  $I_A$  and  $I_H$  maximum conductances had a stabilizing (or homeostatic) effect on rebound properties.

To determine what functional impact the covariation of voltage dependences observed in our voltage-clamp experiments (Fig. 4D) might have, we also tested different combinations of  $I_{\rm A}$  and  $I_{\rm H}$   $V_{50}$  values inside or outside the biological distribution of values while using average values for  $gm_{\rm A}$  and  $gm_{\rm H}$  (Table 2) and keeping them constant (Fig. 10). Only  $I_{\rm H}$  activation  $V_{50}$  and  $I_{\rm A}$  inactivation  $V_{50}$  are represented, but  $I_{\rm A}$  activation  $V_{50}$  was also modified accordingly since it was found to be significantly correlated with  $I_{\rm H}$  activation  $V_{50}$  and  $I_{\rm A}$  inactivation  $V_{50}$  in voltage-clamp recordings. We specifically tested three combinations of values along the biological distribution centered on the mean of IA and IH  $V_{50}$  values ( $-73\pm7.5$  mV,  $-92.5\pm4.35$  mv, respectively;

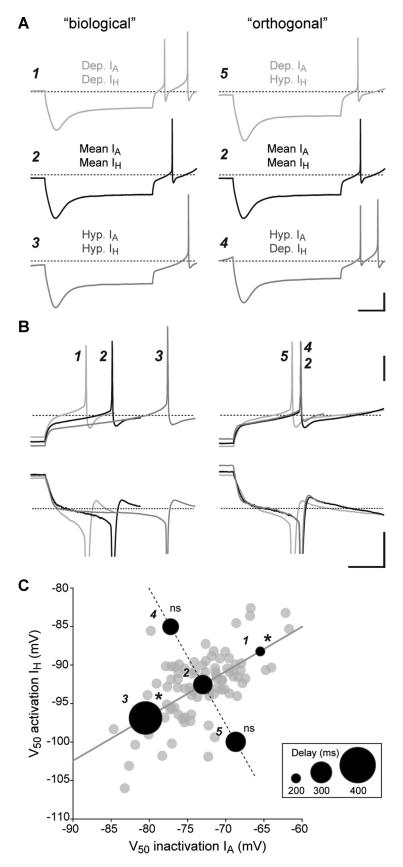
Fig. 10, conditions 1, 2, and 3), and compared these to a set of combinations equidistant and orthogonal to the biological distribution (Fig. 10, conditions 4 and 5). Interestingly, we found that the "biological" combinations of values were associated with a large variation in rebound delay (condition 1 vs 2, p = 0.013, n = 5; condition 3 vs 2, p = 0.028, n = 5, paired t test; Fig. 10) while "nonbiological" orthogonal combinations were associated with no significant change in rebound delay (condition 4 vs 2, p = 0.256, n = 5; condition 5 vs 2, p = 0.84, paired t test; Fig. 10). When using "biological" combinations, the changes in rebound delay were associated with changes in  $V_{\rm kink}$  and phase II slope (Fig. 10 B, example traces) consistent with the correlations observed in our voltage-clamp recordings (Fig. 6): hyperpolarizing the  $V_{50}$  values of  $I_{\rm A}$  and  $I_{\rm H}$ induced a significant hyperpolarization of the  $V_{\rm kink}$  (average of -72.4 vs -66.9 mV, p < 0.001, n = 5, paired t test) and a decrease in phase II slope (45.9 vs 65.7 mV/s, p = 0.002, n = 5, paired t test), while depolarizing the  $V_{50}$  values had opposite and significant effects on  $V_{\rm kink}$  (-61.2 vs -66.9 mV, p < 0.001, n = 5, paired t testand phase II slope (82.8 vs 65.7 mV/s, p <0.001, n = 5, paired t test). In contrast, for the orthogonal distribution, only the combination of depolarized  $I_A$  and hyperpolarized  $I_{\rm H}$  (Fig. 10, condition 5) was associated with a slight depolarizing shift of  $V_{\text{kink}}$  (-65 vs -66.9 mV, p = 0.03, n = 5, paired t test). All other values were not significantly different from those obtained with the mean combination. Although the voltage dependences of other

currents may covary with  $I_{\rm A}$  and  $I_{\rm H}$   $V_{50}$  values in the biological population, these experiments demonstrate that the isolated covariation of  $I_{\rm A}$  and  $I_{\rm H}$  voltage dependences (while all other endogenous currents are not modified) is sufficient to accurately reproduce the correlations observed between the properties of  $I_{\rm A}$  and  $I_{\rm H}$  and the rebound profile in the biological population (Fig. 6). Thus,  $I_{\rm A}$  and  $I_{\rm H}$  properties have a critical influence on the response to inhibitory stimuli, independent of the variations in properties of other voltage-dependent currents.

Unlike the covariation of maximum conductances, the covariation of voltage dependences seems to essentially have a "non-homeostatic" effect on rebound properties as it enhances the dynamic range of rebound values. Moreover, Figure 11 clearly shows that covarying the voltage dependences of  $I_{\rm A}$  and  $I_{\rm H}$  along the biological distribution (>15 mV and 8.7 mV, respectively) induced a similar change in rebound delay as changing  $gm_{\rm A}/gm_{\rm H}$  by fourfold, suggesting that covarying the voltage dependences of  $I_{\rm A}$  and  $I_{\rm H}$  constitutes a much more efficient way of tuning rebound delay.

#### **Discussion**

In the present study, we show that  $I_A$  and  $I_H$  voltage dependences are highly variable from cell to cell but strongly correlated in SNc dopaminergic neurons, and that this covariation is sensitive to



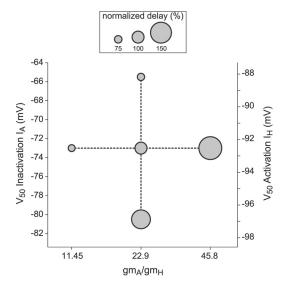
**Figure 10.** Effects of covarying  $I_H$  and  $I_A$  voltage dependences on rebound delay. **A**, Left, Example current-clamp traces showing the rebound profile in the same neuron in response to the dynamic-clamp injection of "biological" combinations of voltage dependences of  $I_A$  and  $I_H$  (traces 1–3 correspond to depolarized, average biological values, and hyperpolarized  $V_{50}$  values, respectively; see C, corresponding points). Right, Example current-clamp traces showing the rebound profile in the same neuron in response to the dynamic-clamp injection of nonbiological "orthogonal" combinations of voltage dependences of  $I_A$  and  $I_B$  (traces

calcium and cAMP levels. Furthermore, we demonstrate that this covariation plays a critical role in tuning rebound delay as it confers synergistic functional effects to otherwise antagonistic currents. This is the first time that the covariation of voltage dependences of two distinct currents has been demonstrated, that signals involved in the covariation have been identified, and that the functional influence of this covariation on firing has been quantified.

#### Variability and covariation of biophysical properties of $I_A$ and $I_H$ in SNc dopaminergic neurons

Variability in the properties of ion channels is a physiological phenomenon observed in numerous systems (Liss et al., 2001; Golowasch et al., 2002; Neuhoff et al., 2002; MacLean et al., 2005; Swensen and Bean, 2005; Schulz et al., 2006, 2007; Khorkova and Golowasch, 2007; Goaillard et al., 2009; Temporal et al., 2011). So far, a threefold to fourfold range of variability has been reported mainly at the level of ion channel expression or current amplitude. We describe a high degree of variability in the amplitudes and voltage dependences of  $I_A$  and  $I_H$  and a significant covariation of their voltage dependences (Fig. 4). Studies have reported similar levels of variability in the amplitude of  $I_A$ (Liss et al., 2001) and  $I_{\rm H}$  (Neuhoff et al., 2002) in mouse SNc dopaminergic neurons. Furthermore, consistent with invertebrate studies (Schulz et al., 2006), Liss et al. (2001) found that the amplitude of the *I*<sub>A</sub> current scaled linearly with the level of expression of the Kv4.3 channel that underlies it. Our data are also consistent with previous reports of variability in the amplitude of  $I_{\rm H}$  (measured at -120 mV) in SNc neurons associated with a high degree of variability in rebound delay: cells with a

5, 2, and 4 correspond to hyperpolarized  $I_{\rm H} V_{\rm 50}$  and depolarized  $I_A V_{50}$ , average biological  $V_{50}$  values, and depolarized  $I_H V_{50}$ and hyperpolarized  $I_A$   $V_{50}$  respectively; see corresponding points in C). B, Expanded current-clamp (top) and dynamicclamp (bottom) traces corresponding to the traces presented in A. C, Summary bubble plot showing the effect of varying IA and  $I_{\rm H}$  voltage dependences on rebound delay. Variations in delay are coded by the size of the black bubbles. Filled lightgray circles correspond to the biological distribution of  $V_{50}$  values (Fig. 4D) and the gray line indicates the linear regression of these values. The dashed line corresponds to the direction orthogonal to the biological distribution. Numbers correspond to the traces presented in **A** and **B**. Asterisks indicate significant differences in delay compared with the mean value (2). ns, Nonsignificant. Calibration: A, 20 mV, 250 ms; B, Top, 20 mV; Bottom, 200 pA, 100 ms. Dashed lines indicate -60 mV (current-clamp) or 0 pA (dynamic clamp).



**Figure 11.** Comparing the effects of varying  $I_{\rm H}$  and  $I_{\rm A}$  voltage dependences or maximum conductances. Bubble plot showing the variations in normalized rebound delay (bubble diameter) associated with variable ratios of  $gm_{\rm A}/gm_{\rm H}$  (horizontally aligned bubbles) and the three different biological combinations of covarying voltage dependences of  $I_{\rm H}$  and  $I_{\rm A}$  (vertically aligned bubbles). Note that the changes in delay induced by a fourfold change in  $gm_{\rm A}/gm_{\rm H}$  and by a 15/8.7 mV shift in voltage dependences are of similar magnitude (small bubbles vs large bubbles).

large  $I_{\rm H}$  (due to a depolarized activation voltage and/or high density of channels) tended to have faster rebounds (Neuhoff et al., 2002). Moreover, a recent study demonstrated that wortmannin [an inhibitor of phosphatidylinositol-4,5-bisphosphate (PIP2) synthesis] induced a negative shift in the voltage dependence of  $I_{\rm H}$  associated with an increase in rebound delay in SNc dopaminergic neurons (Zolles et al., 2006).

# Functional impact of the covariation on physiological activity patterns

Our dynamic-clamp experiments directly demonstrate that the covariation of the voltage dependences of  $I_A$  and  $I_H$  powerfully modifies rebound delay in SNc dopaminergic neurons (Fig. 10) and could play a critical role in shaping the response of these neurons to inhibitory inputs. Indeed, 70% of the synaptic inputs received by SNc dopaminergic neurons are GABAergic (Tepper and Lee, 2007), while dopamine release between neighboring cells is also responsible for long hyperpolarizations (Vandecasteele et al., 2008). A recent study using dynamic clamp in SNc dopaminergic neurons demonstrated that their response to trains of simulated GABAergic inputs was influenced by  $I_{\rm H}$  properties (Tateno and Robinson, 2011). The partial inhibition of  $I_A$  and  $I_H$ (Figs. 3, 8) also clearly showed the involvement of these two currents in rebound responses to short (single simulated GABAergic-like event) or longer (1 s current step) hyperpolarizing stimuli, even for mild hyperpolarizations.  $I_A$  and  $I_H$  have also been reported to be involved in pacemaking activity in SNc neurons (Liss et al., 2001; Seutin et al., 2001; Neuhoff et al., 2002; Okamoto et al., 2006; Zolles et al., 2006; Chan et al., 2007; Puopolo et al., 2007; Guzman et al., 2009; Putzier et al., 2009; Tateno and Robinson, 2011). Although we did not investigate relationships between  $I_A$  and  $I_H$  and spontaneous activity, it is likely that the covariation of voltage dependences would also influence pacemaking activity. Studies have reported that changing I<sub>H</sub> voltage dependence or amplitude induced significant changes in pacemaking frequency in SNc dopaminergic neurons (Zolles et al., 2006; Tateno and Robinson, 2011). Thus, the covariation of voltage dependences may also be relevant to understanding the regulation of SNc dopaminergic neuron firing in general.

Several studies indicate that the SNc dopaminergic neurons are heterogeneous, and that the intrinsic properties of these neurons may depend on (1) the localization of the neurons within the SNc or on their projection sites (Lammel et al., 2008; Liss and Roeper, 2008) or (2) the expression of the calcium-binding protein calbindin (Neuhoff et al., 2002). We found no relationship between  $I_{\rm A}$  and  $I_{\rm H}$  voltage dependences and the localization of the neurons in the SNc (for both mediolateral and rostrocaudal axes, n=47 and 33, respectively; data not shown). Nonetheless, part of the variability in  $I_{\rm H}$ ,  $I_{\rm A}$ , and rebound firing properties may be associated with the functional diversity of dopaminergic SNc neurons (Neuhoff et al., 2002; Lammel et al., 2008; Liss and Roeper, 2008).

### Mechanisms underlying the covariation of voltage dependences

Our results demonstrate that calcium and cAMP potently modify the covariation of  $I_{\rm A}$  and  $I_{\rm H}$  voltage dependences (Fig. 6). The effects of BAPTA on  $I_A$  and 8-Br-cAMP on  $I_H$  are consistent with the well documented sensitivity of these currents to calcium and cAMP, respectively (Birnbaum et al., 2004; Sergeant et al., 2005; Zolles et al., 2006; Biel et al., 2009; Anderson et al., 2010). In addition, our data demonstrated a milder converse sensitivity of  $I_{\rm H}$  and  $I_{\rm A}$  to calcium and cAMP manipulation, respectively (Fig. 5). These data are consistent with the results from Chan et al. (2007) demonstrating that two of the three adenylyl cyclases expressed in SNc dopaminergic neurons are calcium-inhibited. Thus, the depolarization of  $I_{\rm H}$   $V_{50}$  values by BAPTA is probably due to the release of the calcium inhibition on the adenylyl cyclases and subsequent increase in cAMP. Conversely, little evidence is available regarding Kv4 modulation by the cAMP signaling pathway (Hoffman and Johnston, 1998; Yang et al., 2001; Lin et al., 2010). Hoffman and Johnston (1998) demonstrated that  $I_A$ inactivation and activation curves in hippocampal pyramidal neurons are depolarized by the cAMP-mediated activation of protein kinase A. Although pyramidal cells express only Kv4.2 (Chen et al., 2006), the high level of homology between Kv4.2 and Kv4.3 (including several phosphorylation sites) strongly suggests that Kv4.3 shares cAMP sensitivity (Schrader et al., 2002). Another study performed on SNc dopaminergic neurons also suggested that  $I_A$  amplitude is modulated by cAMP through MAPK activation (Yang et al., 2001). Finally, the application of BAPTA plus 8-Br-cAMP not only shifted  $I_A$  and  $I_H$  voltage dependences in a coordinated manner, but also dramatically reduced their variability (Fig. 5C). Altogether, these data suggest that the covariation of  $I_A$  and  $I_H$  voltage dependences is strongly dependent on calcium and cAMP. However, we do not conclude that these are the only signals involved in the covariation in voltage dependences. For example, as both HCN and Kv4 channels have been shown to be sensitive to PIP2, this signaling pathway may also be involved (Oliver et al., 2004; Zolles et al., 2006).

Although our experiments were performed using globally imposed changes in calcium and cAMP, these signals are most likely confined to submembrane microcompartments in physiological conditions. As the fast calcium chelator BAPTA (producing local calcium buffering), but not EGTA, was able to significantly reduce the variability in  $I_{\rm A}$  and  $I_{\rm H}$   $V_{50}$  values (Fig. 5), local calcium variations are likely involved in the covariation of  $I_{\rm A}/I_{\rm H}$ . Consistent with these results, Anderson et al. (2010) demonstrated that

the Ca<sub>v</sub>3-mediated modulation of  $I_{\rm A}$  inactivation properties in cerebellar granule cells was also blocked by 10 mm BAPTA but not by 10 mm EGTA. Subsequently, they showed that the Ca<sub>v</sub>3 calcium channel modulation of  $I_{\rm A}$  relied on the formation of protein complexes comprising Kv4.2, KChip3.1, and Ca<sub>v</sub>3 (Anderson et al., 2010). A similar molecular organization might be involved in the covariation of  $I_{\rm A}$  and  $I_{\rm H}$  voltage dependences in SNc dopaminergic neurons.

### Coregulating conductances versus voltage dependences: homeostasis versus signal tuning?

Our dynamic-clamp results and other studies (MacLean et al., 2003; Cao and Oertel, 2011) demonstrate that  $I_H$  and  $I_A$  compensate each other and that firing properties are conserved when a constant  $gm_A/gm_H$  ratio between the two currents is maintained (Fig. 9). Therefore, the frequent correlation in the levels of mRNA for the channels carrying  $I_H$  and  $I_A$  (or in the current amplitude) in crustaceans (MacLean et al., 2005; Khorkova and Golowasch, 2007; Schulz et al., 2007; Tobin et al., 2009; Temporal et al., 2011) can be interpreted as a homeostatic mechanism. We demonstrated that a stable  $gm_A/gm_H$  ratio in SNc dopaminergic neurons indeed maintained rebound properties (Fig. 9) while the covariation in voltage dependences maximized the dynamic range of rebound delays (Fig. 10). Furthermore, our results show that covarying voltage dependences within the biological range of values has the same effect on rebound delay as changing the ratio between  $I_H$  and  $I_A$  maximum conductances by a factor of four (Fig. 11). This is especially striking since the range of values of  $V_{50}$ values used for the dynamic-clamp experiments covered only two-thirds of the total range observed in the voltage-clamp experiments. These values are also within the range of amplitudes of modulator-induced shifts in voltage dependence previously reported for  $I_A$  (Harris-Warrick et al., 1995; Yu et al., 1999; Birnbaum et al., 2004; Levy et al., 2010) or  $I_{\rm H}$  (Harris-Warrick et al., 1995; Zolles et al., 2006; Biel et al., 2009). Data obtained in SNc dopaminergic neurons (Liss et al., 2001) and in invertebrates (MacLean et al., 2003; Schulz et al., 2006, 2007; Tobin et al., 2009; Temporal et al., 2011) suggest that changing the ratio of maximum conductances may rely on changing the levels of expression of the underlying channels. Alternatively, it could involve internalization of channels and/or degradation of channel proteins or mRNAs. However, such processes would be energy expensive and occur on a minute-to-hour time scale. Covarying voltage dependences represents a highly computationally efficient and energyefficient way of tuning rebound properties. As the covariation of voltage dependences of  $I_A$  and  $I_H$  involves small signaling molecules (including calcium and cAMP) that can exhibit rapid dynamics, this covariation also provides a highly flexible way of tuning rebound properties. Therefore, in any given neuronal type, the appropriate firing pattern may be approximately achieved (coarse tuning) by coregulation of the expression of functionally overlapping ion channels (such as Kv4.3 and HCN in SNc dopaminergic neurons), with the coregulation of gating properties allowing for a secondary flexible fine-tuning of firing. Whether this tuning would occur in response to acute external signals, such as neurotransmitters or neuromodulators, or in response to chronic changes in excitability, is yet to be determined.

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